## Assignment 1

- 1. When going from a more dense to less dense medium (i.e.  $n_1 > n_2$ ) light bends away from the normal. At a so called critical incident angle  $\theta_c$ , the refracted angle is  $90^\circ$ . If  $\theta_1 > \theta_c$  the wave is totally reflected. Evaluate  $\theta_c$  for a beam reflecting at a glass (n=1.5) air interface.
- 2. Show that for a s polarized wave, the reflection and transmission coefficients are given by: (Take  $\mu_1 = \mu_2 = 1$ )

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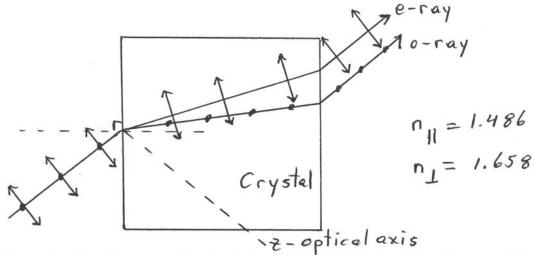
- Explain how Polaroid sunglasses cut down on glare (Hint: Think of Brewster's angle.)
- 4. Circular Polarization: Instead of taking x & y as the two orthogonal polarization vectors for a wave propagating in the z direction, one can use the following.

a) Show 
$$\vec{\epsilon}_{\pm} = \hat{x} \cos \omega t \pm \hat{y} \sin \omega t$$
  
 $\langle \vec{\epsilon}_a \cdot \vec{\epsilon}_b \rangle = \vec{\delta}_{ab}$   $a, b = +, -$ 

- b) Show  $\vec{\epsilon}_+$  rotates counterclockwise in the xy plane. Which direction does  $\vec{\epsilon}_-$  rotate in?
- c) Consider  $\vec{E} = \hat{\chi} E_0 \cos \omega t$ .

What fraction of this wave is polarized along  $\vec{\xi}_{+}$ ?

5. Consider light incident on a calcite crystal as shown below, where the angle between the ordinary ray and the optical axis is close to 45°.



Derive the following expression for alpha and evaluate it. Assume alpha is small.